State-level Food Waste Policies In the U.S.: A Predictive Modelling **GIZEM KILIC CORNELL UNIVERSITY SCHOOL OF HOTEL ADMINISTRATION**

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Purpose/Objective

The purpose of the initial stage of this research is to predict the relationship between rigidity of the food waste policies and demographic, political, economic, food safety, and environmental features at state level.

Research questions include:

- Which policy category (prevention, recycling, recovery, and/or all) has the best performance in predicting regulatory strictness in food waste policies across states?

- Which model has the best performance metrics in predicting regulatory strictness in food waste policies across states?

- Which variables have the highest importance in predicting regulatory strictness in food waste policies across states?

Introduction

Prevention (Date Labelling):

- No uniform federal standards
- Label indicators
- Safety vs. quality • State restrictions

Recovery (Food donations):

- Liability protection
- Federal civil and criminal
- Additional state liability protection
- Tax deduction and credit
- Direct donations

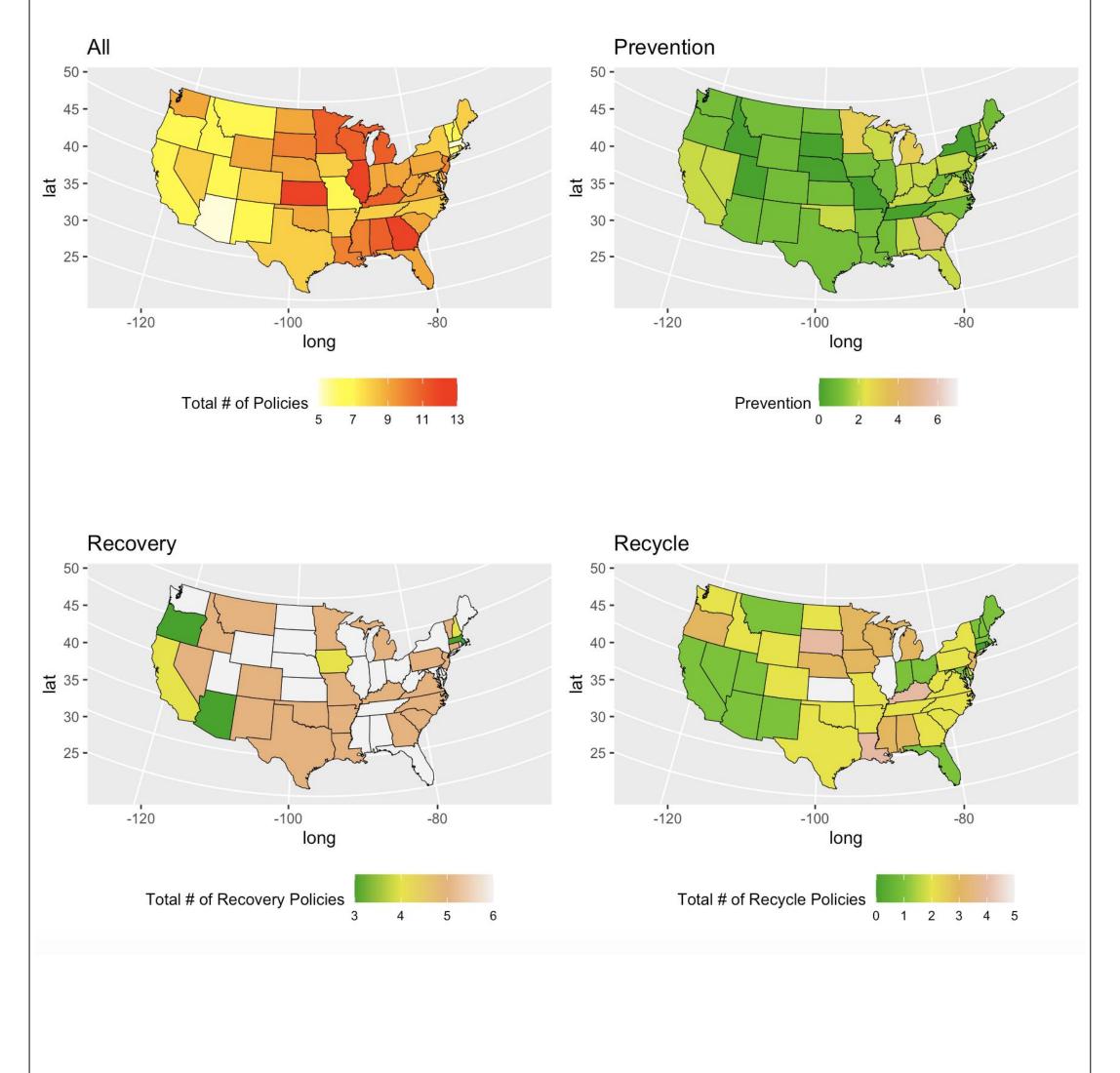
Recycling (Animal Feed):

- Reusing food scraps
- Heat treatment
- Liability protection for
- qualified direct donors
- Restriction on animal protein
- Food safety controls
- Labelling and adulteration

Recycling (Waste Laws):

- No federal law
- State and municipality bans
- Organic waste bans
- Waste recycling laws

Figure #1. U.S. Heat Map of Level of Regulatory Strictness by Policy Category



Methodology

Generalized Linear Model Elastic Net (GLMNET) is a type of regularized linear regression model that incorporates tuning parameters for variable selection and shrinkage. The paper compares 3 levels of k-fold cross validation models to select the best model with optimal performance metrics. Too high penalty levels lead to simple model and underfitting [1,2,3,4,5].

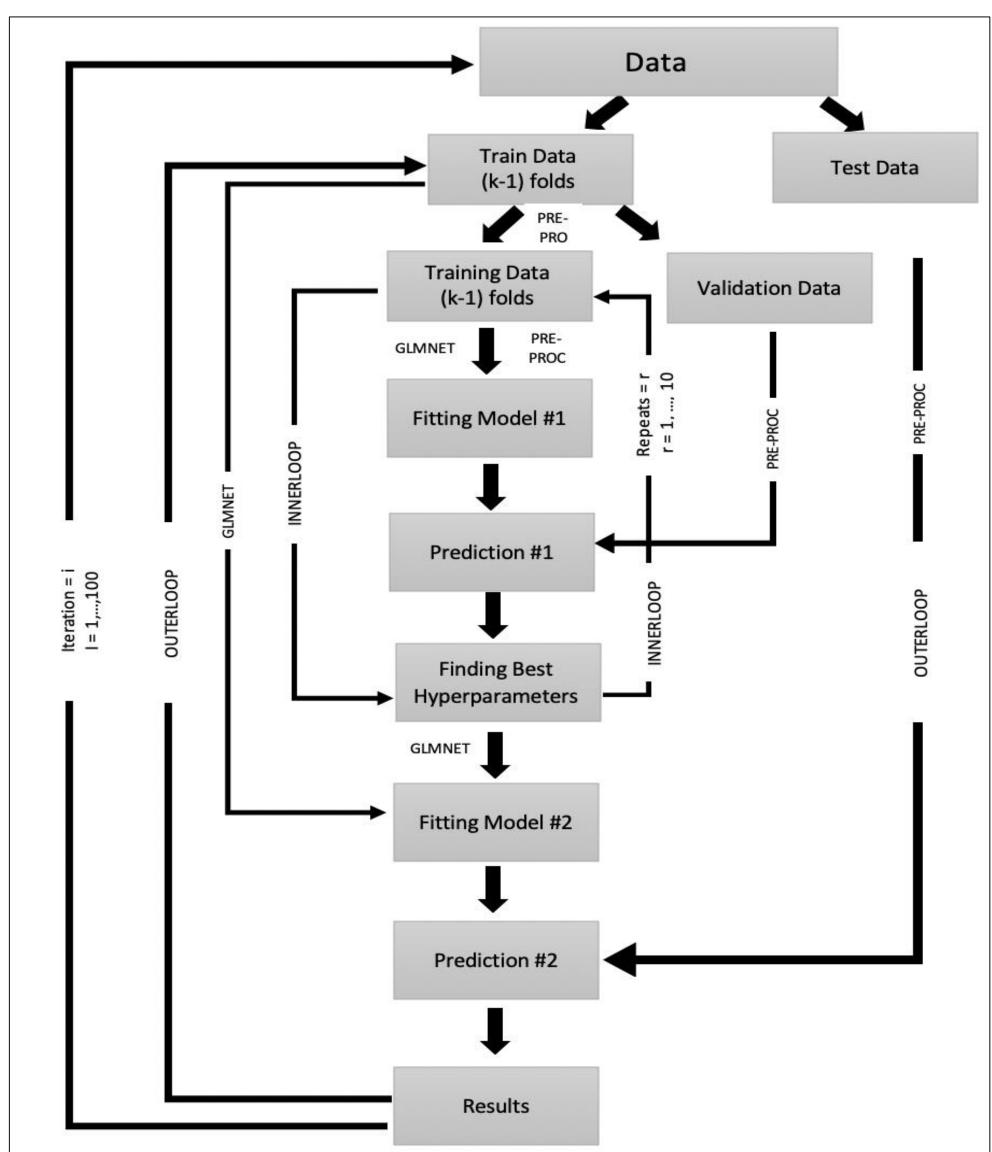
$$\frac{\sum_{i=1}^{n} (y_i - x_i^J \hat{\beta})^2}{2n} + \lambda \left(\frac{1 - \alpha}{2} \sum_{j=1}^{m} \hat{\beta}_j^2 + \alpha \sum_{j=1}^{m} |\hat{\beta}_j| \right)$$

- Alpha \implies convexity $\implies 0.0 1.0$
- Lambda \longrightarrow degree of penalty $\longrightarrow 0.0 1.0$

Model Selection ^[6]

- Prevention, recovery, recycling, all categories
- 5, 10, LOOCV k-fold, repeated 10x





Performance metrics, iteration 100x ^[3,4,6]

• RMSE

• R-square

Wilcoxon Sum Rank Test ^[6,8,9,10]

- Non-parametric version of the two-sample t-test
- Ordinal level
- Normal distribution not required

Hypothesis 1:	Hypothesis 2:	Hypothesis 3:
$H_0: M_{i1} = M_{i3}$	$H_0: \boldsymbol{M_{i1}} = M_{i2}$	$H_0: M_{i2} = M_{i3}$
$\mathbf{H}_{\mathbf{A}}:\mathbf{M}_{\mathbf{i1}}\neq\mathbf{M}_{\mathbf{i3}}$	$H_A: \mathbf{M_{i1}} \neq M_{i2}$	$H_A: M_{i2} \neq M_{i3}$

Significant difference between performance of two models if P < 0.05 [32,36]. Mi1:10 k-fold, Mi2: LOOCV (50 k-fold), Mi3: 5 k-fold. Policy categories: i, for i = 1,2,3, and 4, which respectively represents sum of all categories, prevention, recovery, and recycling policy categories .

R2 RM

A_{4.5} 2. 2. 2.

B 2.5 **B** 2.0 2.0

Findings

	K-Fold	All	Prevention	Recovery	Recycling
	M _{i2}	0.1802 (0.0887,	0.0348 (0.0078,	0.0661 (0.0172,	0.1282 (0.053
		0.2755)	0.1233)	0.1458)	0.2550)
Ъл	Ъø	0.2105 (0.0647,	0.0885 (0.0243,	0.1995 (0.0634,	0.2387 (0.066
R2	M _{i1}	0.4337)	0.2533)	0.4386)	0.4672)
	24	0.1584 (0.0648,	0.0756 (0.0244,	0.0532 (0.0137,	0.1375 (0.048
	M _{i3}	0.3173)	0.1273)	0.1629)	0.3052)
	ЪЛ	0.9220 (0.8111,	0.8584 (0.7071,	1.0543 (0.7515,	0.9845 (0.820
	M _{i2}	1.0651)	1.1100)	1.2091)	1.0987)
DMCE	14	0.9547 (0.7694,	0.8527 (0.5451,	0.8942 (0.6630,	0.9061 (0.694
RMSE	M _{i1}	1.1014)	1.0827)	1.4397)	0.9489)
	M.,	0.9823 (0.8286,	0.6632 (0.6035,	0.8591 (0.7079,	1.0618 (0.856

• M_{i1} 1:10 k-fold, M_{i2} : LOOCV (50 k-fold), M_{i3} 3: 5 k-fold

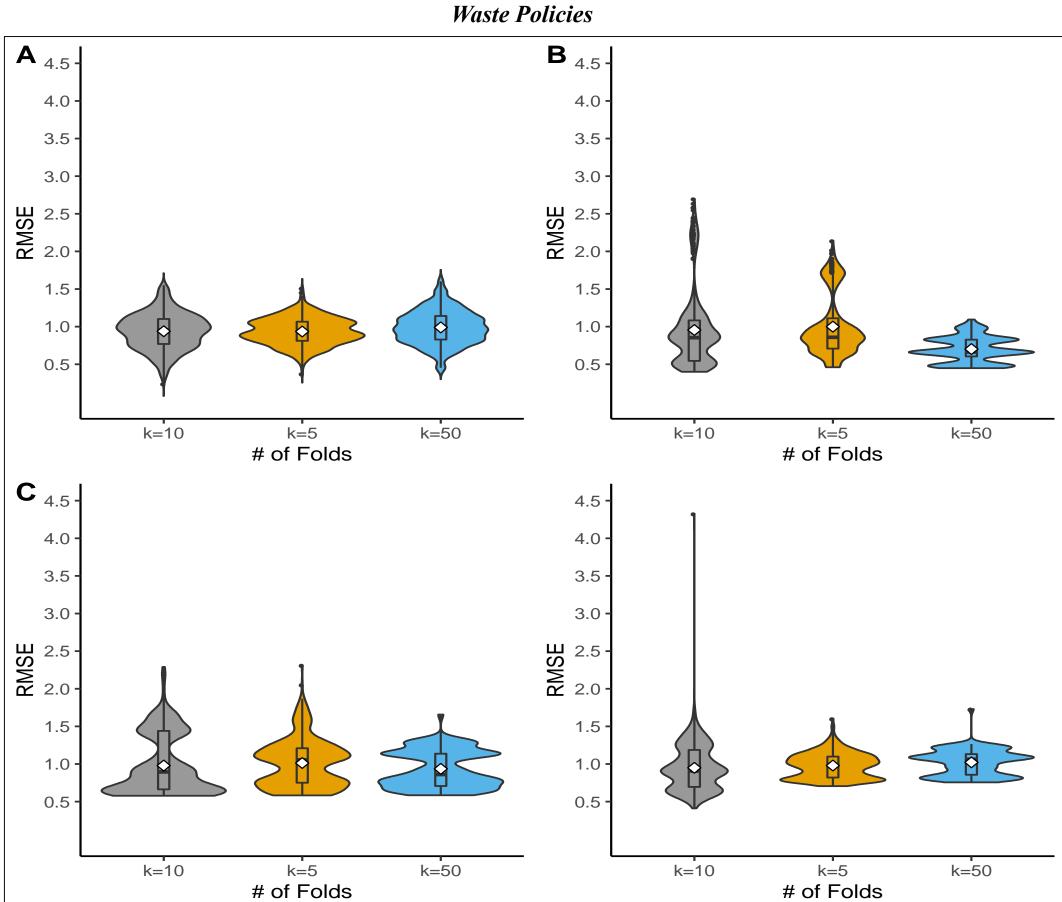
1.1410)

• Policy categories are denoted as i, for i = 1,2,3, and 4, which respectively represents sum of all categories, prevention, recovery, and recycling policy categories

0.8276) 1.1368)

1.1318)

Figure #4. Distribution of RMSE Results of Regression Analysis in Predicting State Level Food



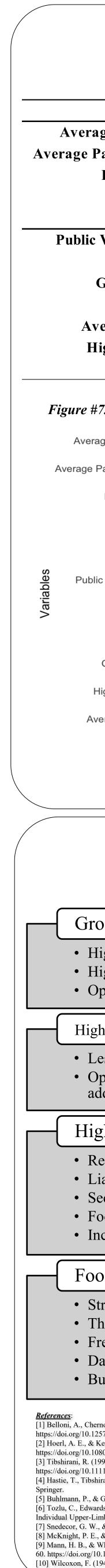
• (A) All, (B) Prevention, (C) Recovery, and (D) Recycling. • Median, mean, first and third quartiles, mean values of the RMSE distribution

• Policy categories are calculated by 3 k-fold CV elastic net methods 5, 10, 50 k-fold

Figure #5. Wilcoxon Sum Rank Test by R2 and RMSE Results of the K-Fold Methods

	K-Fold Comparison	All	Prevention	Recovery	Recycling
	$\mathbf{M_{i1}} = \mathbf{M_{i3}}$	0.0168*	0.0432*	0.0000**	0.0003**
R2	$M_{i2} = M_{i3}$	0.5905	0.1797	0.8940	0.7249
	$M_{i1} = M_{i2}$	0.0001**	0.0000**	0.0000**	0.0000**
	$\mathbf{M_{i1}} = \mathbf{M_{i3}}$	0.0640	0.0000**	0.4748	0.0012**
RMSE	$M_{i2} = M_{i3}$	0.0303*	0.0000**	0.1145	0.0095*
	$\mathbf{M_{i1}} = \mathbf{M_{i2}}$	0.6499	0.0009**	0.0000**	0.0002**

(* p value < 0.05 and ** p value < 0.005. $M_{1(1,2,3)}$:10 k-fold, $M_{2(1,2,3)}$:: LOOCV (50 k-fold), *M*_{3(1,2,3)}: 5 k-fold)



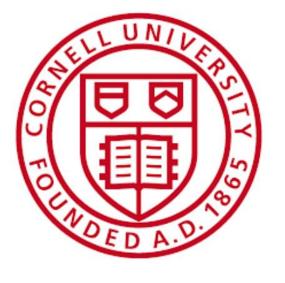


Figure #76 Coefficient Table of 12 Most Important Variables				
	k=10	k=5	k=50	
ge Pay Per Employee	-0.1661	-0.1610	-0.1820	
ay Per Establishment	-0.0946	-0.0823	-0.1001	
Environmental Score	-0.0864	-0.0743	-0.0945	
Black (%)	0.0832	0.0771	0.0832	
Foodborne Illness	0.0590	0.0450	0.0630	
Welfare (Per Capita)	-0.0454	-0.0372	-0.0432	
Public Welfare (%)	-0.0321	-0.0299	-0.0388	
Graduate Degree (%)	-0.0291	-0.0238	-0.0233	
# of Farms	0.0260	0.0275	0.0285	
erage Household Size	-0.0179	-0.0110	-0.0169	
ghschool Degree (%)	0.0168	0.0142	0.0193	
Age Bt. 55 - 84	-0.0156	-0.0112	-0.0167	

Figure #7. Comparative relative importance of variables extracted from M_{11}, M_{12} , and M_{12}

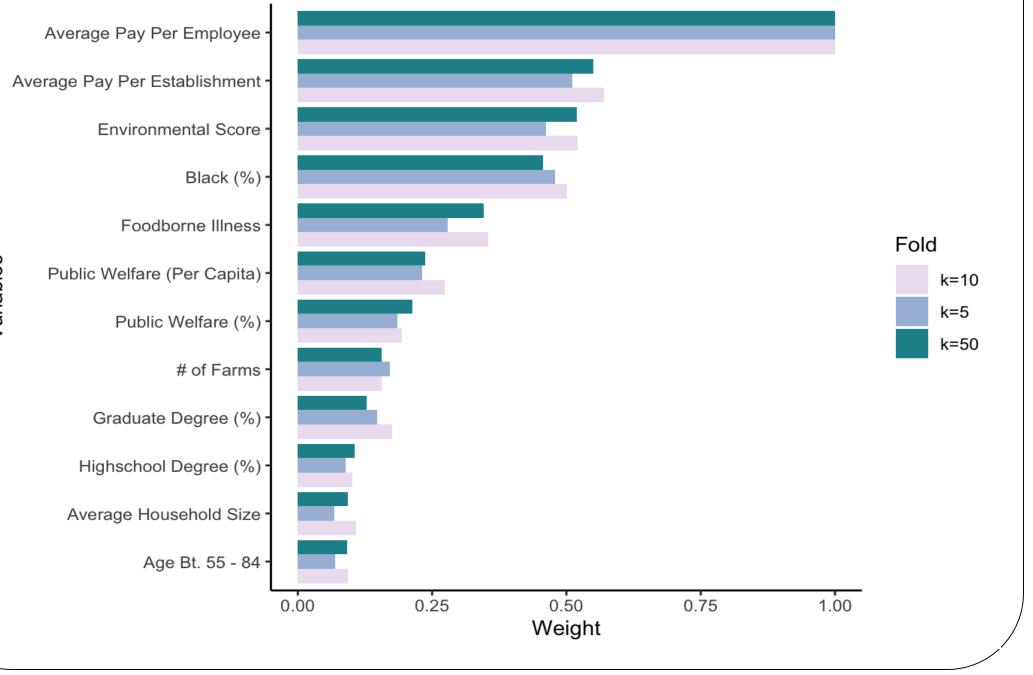




Figure #8. Policy Implications

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Grocery stores impact on state decision
Higher financial contribution to state finances Higher salary per employee + Higher total salary and larger size Opportunities for initiatives
Iigher environmental score
Less food waste Opportunity for lifting the restriction on the food labels and animal feed and adding extra incentive for food donation
Higher African American population
Restrictions discourage donation & secondary markets Liability concerns Secondary food markets enable affordable food Food label restrictions hinder the growth of secondary food markets Increase awareness of the food insecurity cycle
Foodborne illness concerns
Stricter food donation and food label regulations The perception of state government is parallel to the perception consumers Freshness concerns that drive consumers to throw away food Date labels not a good proxy for foodborne illness threats Businesses hesitant to donate food due to liability concerns
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